

Federatie Textielbeheer Nederland

Online services, E-commerce & smart logistics: wat levert het op?



Laundry Experience Event 2019 – Clova, Wommelgem, België

(Relatively) new markets for e-commerce & smart logistics

1. Elderly care



2. SME sector



3. Construction



4. Modern consumers



5. Additional logistic services



‘small order sizes’ | ‘flexible service level’ | automated administration & logistics

For example by combining logistical flows



Groceries & laundry



Laundry &



Outsourcing laundry + complementary products

Benefits:

Spread cost of logistics: 1 address, 2 services

Stronger connection to your customer – better competitive position

The infographic depicts a city street layout with various sustainable delivery methods highlighted by callouts:

- Electric vans with drone landing platform:** A pink truck is shown with a drone landing platform on its roof.
- Electric cargo bike:** A person is shown riding a white and orange cargo bike with a 'post.nl' logo.
- Electric bike:** A person is shown riding a pink electric bike.
- Logistic hub at city centre:** A large building with a white roof is labeled as a logistic hub.
- Truck platooning:** Three pink trucks are shown driving in a line, with a drone flying above them.
- Drone:** A pink drone is shown flying over the street.
- Electric van:** A yellow van is shown parked on the street.

At the bottom right, there is a link: [Klik hier voor meer infographics](#). The logo for 'DUURZAAM BEDRIJFSLEVEN' is also present.



**DUURZAAM
BEDRIJFSLEVEN**

UK-based Oxwash partners with Deliveroo to go green!



Logistics: densification of routes is essential for new market arguments

BIZ & TECH // BUSINESS

Mulberrys buys Laundry Locker, becomes California's largest clothing cleaner

Roland Li | Oct. 12, 2018 | Updated: Oct. 12, 2018 5 a.m.

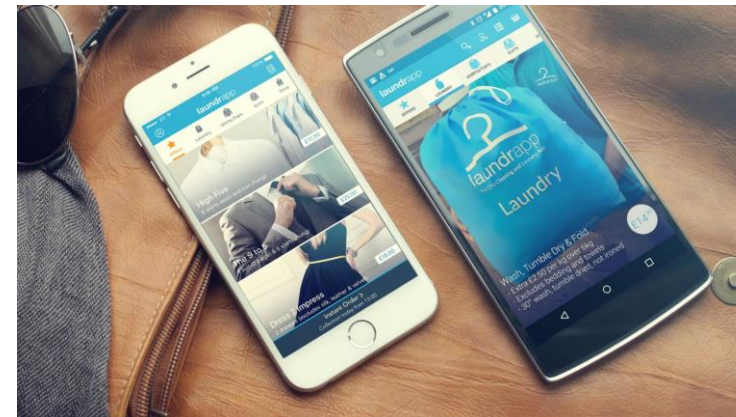


Tad Jenkins (left), CEO of newly acquired Laundry Locker, and Mulberrys CEO Dan Miller, are outside the Mulberrys Marina store. Mulberrys now is the largest clothing cleaning company in California.

Photo: Brian Feulner / Special to The Chronicle

Zipjet & Laundrapp in Merger Talks; JIVR Overfunds

by Hugh Williams on 4th Apr 2019 in News



"...agreement is aimed at creating critical mass in the two companies combined London operations"

Forecasting the required tank container and trucking capacity for an intermodal logistics service provider

13/09/2019

Ir. Rijk van der Meulen, MSc Graduate in Operations Management & Logistics

TU/e School of Industrial Engineering



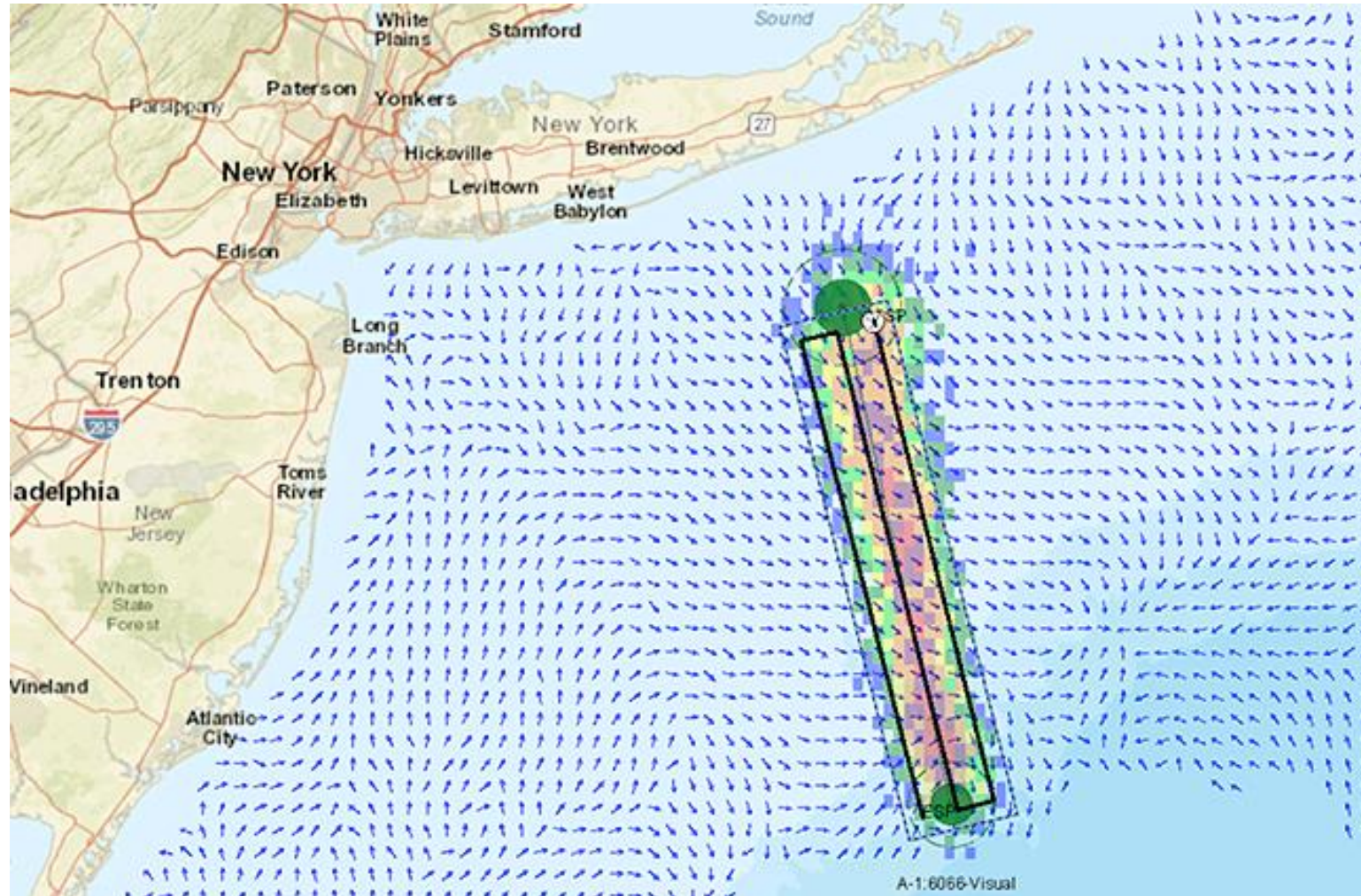
TU/e EINDHOVEN
UNIVERSITY OF
TECHNOLOGY

A Speck in the Sea – The New York Times



Bayesian Search for Missing People

Finding a Needle in a Haystack







Introduction
and problem
description



Proposed
forecasting
methodology



Completing the
circle: benefits &
implementation



Discussion



Introduction
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Proposed
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Completing the
circle: benefits &
implementation



Discussion

H&S Foodtrans is a logistics service provider engaged in intermodal transportation of liquid foodstuff

Introduction to H&S



Forecasting the required tank container and trucking capacity

Problem statement

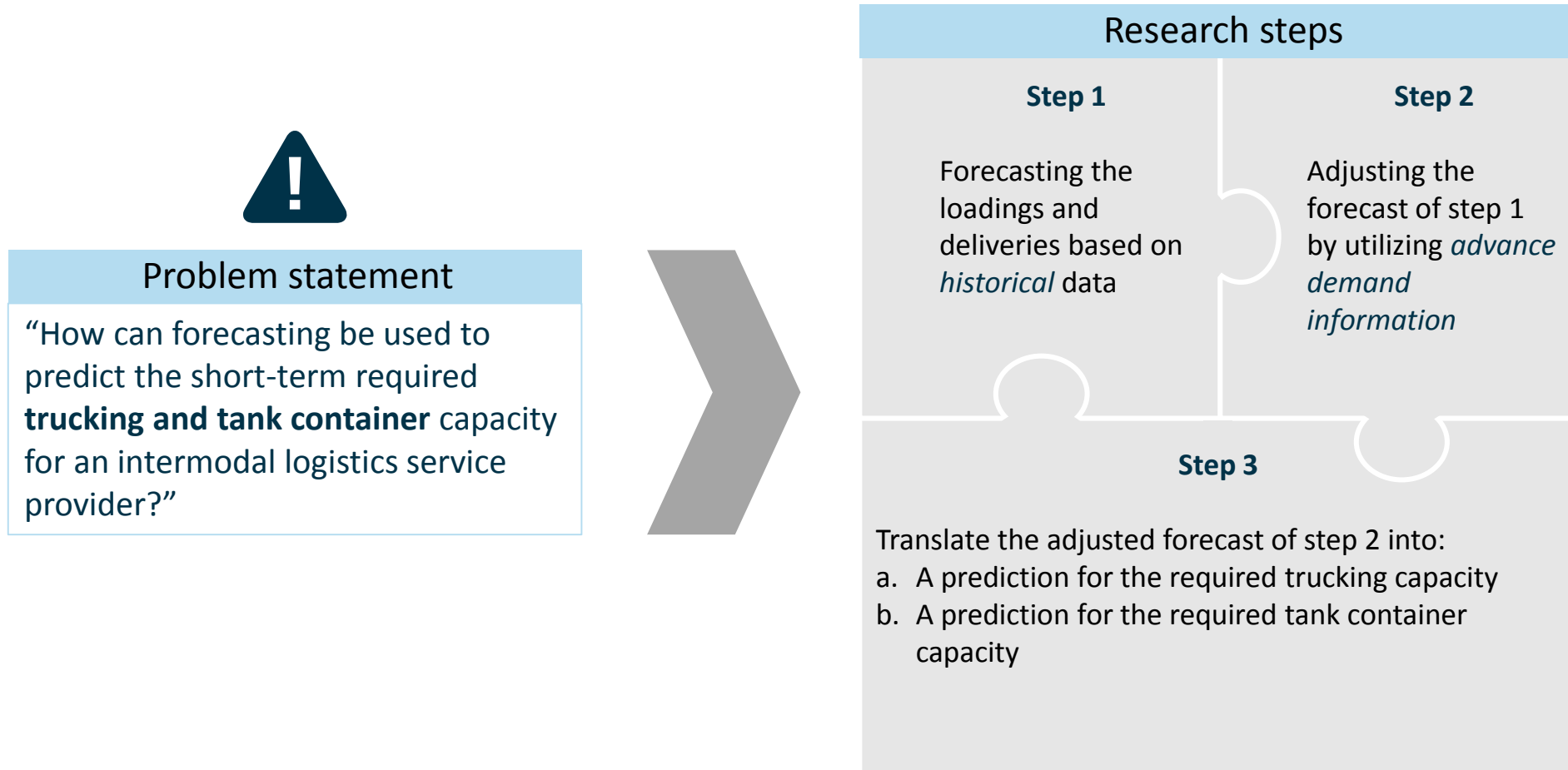


Problem statement:

“How can forecasting be used to predict the short-term required **trucking and tank container** capacity for an intermodal logistics service provider?”

To provide an answer to the problem statement, 3 main steps were taken in this research

Research steps





Introduction
and problem
description



Proposed
forecasting
methodology



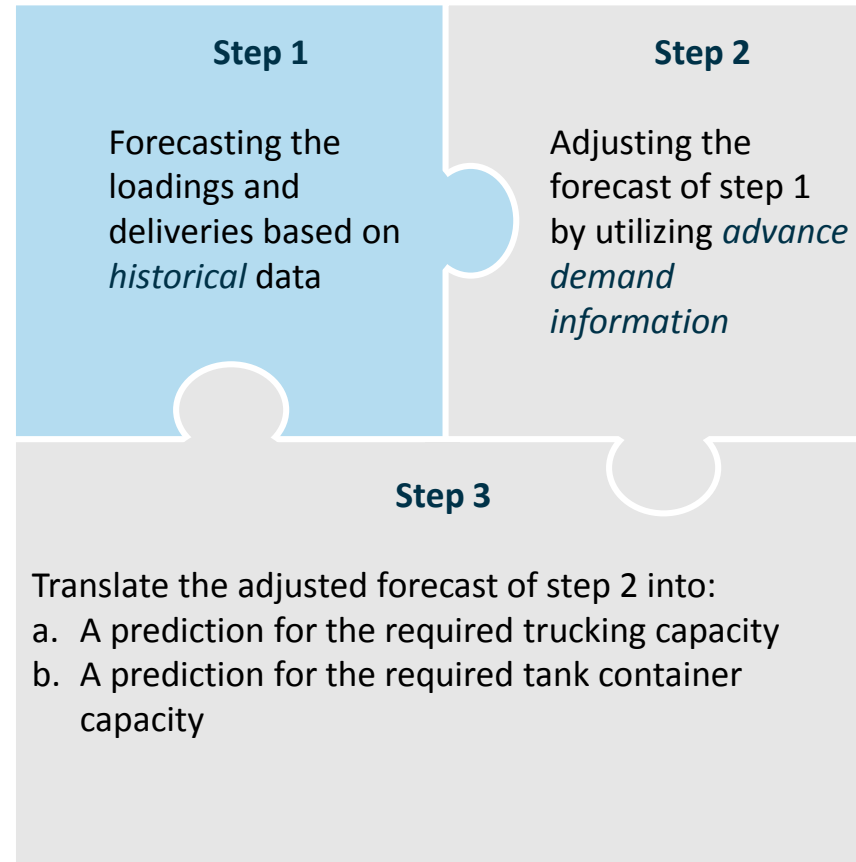
Completing the
circle: benefits &
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Discussion

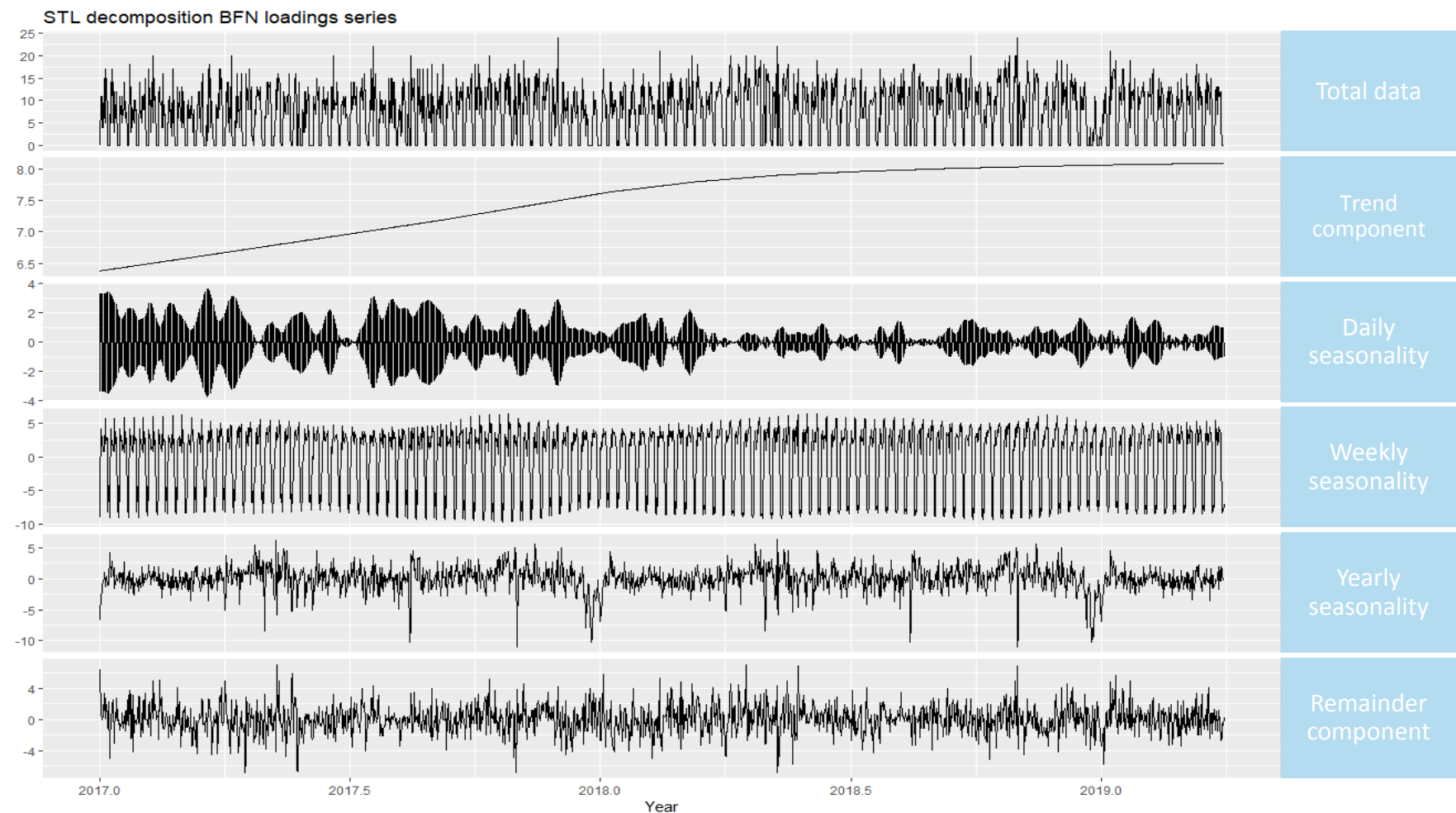
Step 1: How can the number of loadings and deliveries be forecasted from historical data?

Step 1



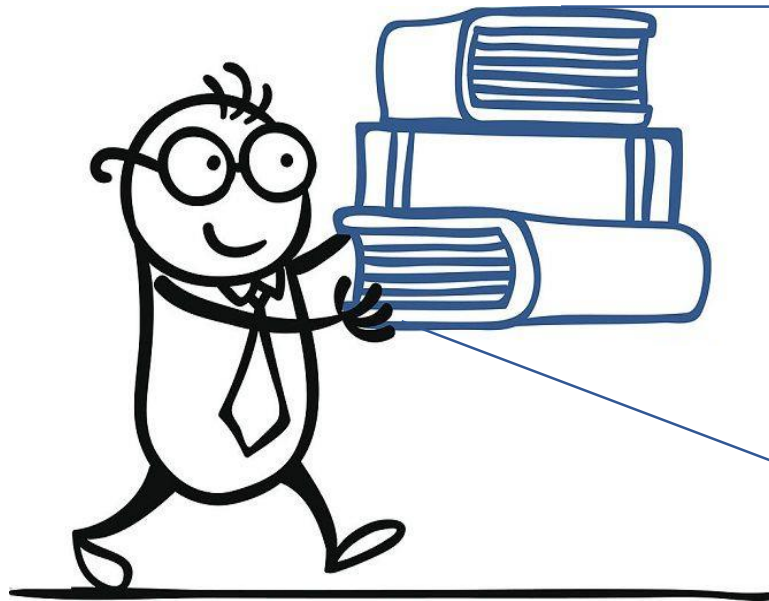
The data exhibits multiple seasonal patterns

STL decomposition BFN loadings series



The literature was consulted to identify forecasting models that can account for time series with multiple (seasonal) components

Literature review



STL decomposition

Double exponential smoothing

Dynamic harmonic regression

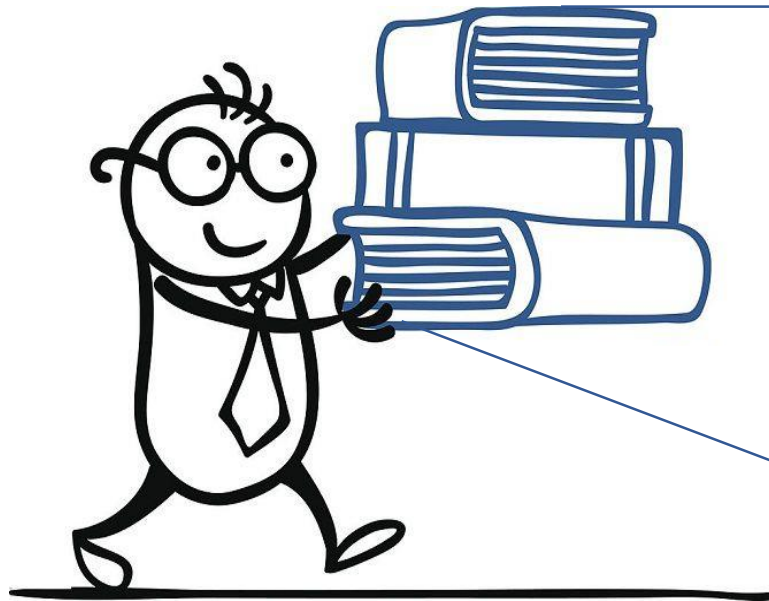
TBATS

Artificial neural network

(Simple mean method)

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Literature review



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TBATS

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Simple mean method

Artificial neural networks, Dynamic harmonic regression and the Simple mean method turned out to be the most accurate models in step 1

Best performing models for predicting orders from historical data



Artificial Neural Networks



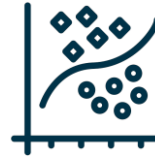
Best performing model in most series



More difficult to implement for practitioners



Lack of explanatory capabilities



Dynamic Harmonic Regression



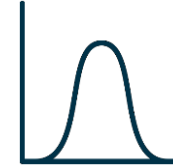
Fairly accurate in most series



Explanatory capabilities (interpretation coefficients)



More difficult to implement for practitioners



Simple Mean Method



Fairly accurate in most series



Easy to understand for practitioners



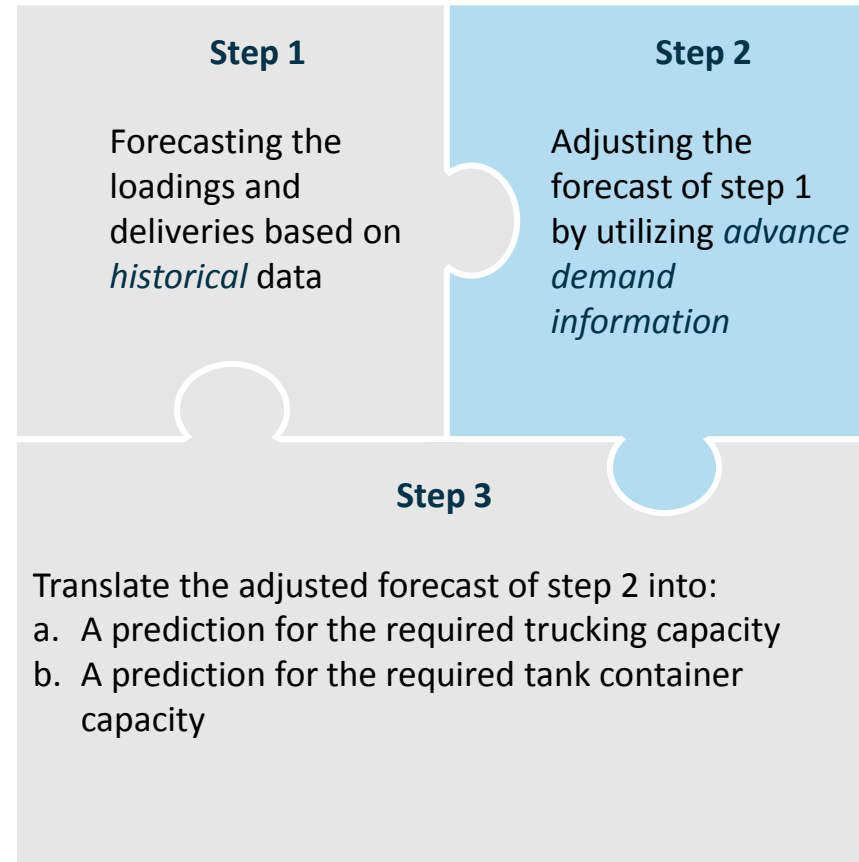
Easy to implement for all planning regions



Intuitively captures strongest seasonal components

Step 2: How can advance demand information be utilized to enhance the initial forecast of the loadings and deliveries?

Step 2



Using the Advance Demand Information

Bayesian Adjustment

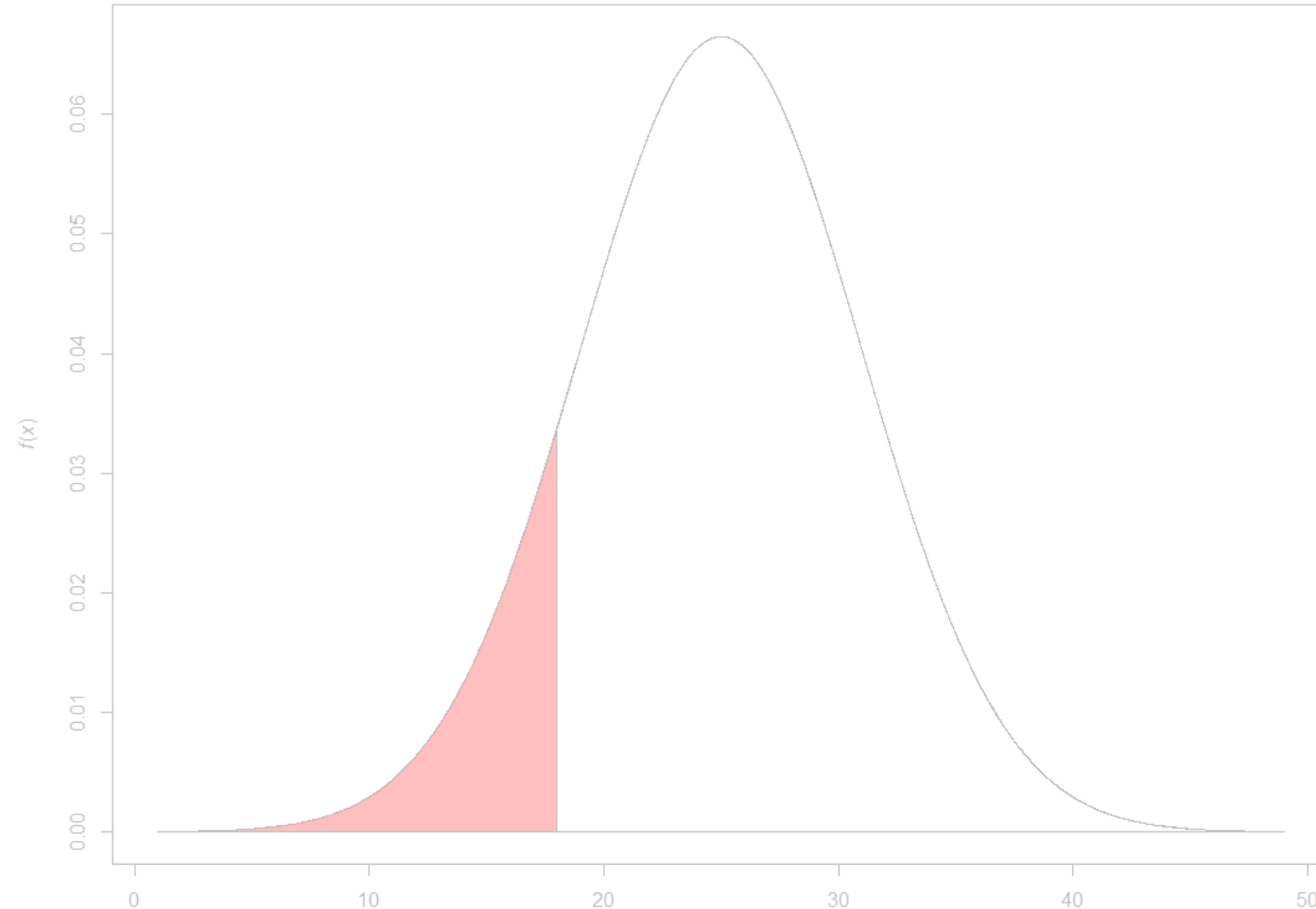


Intuitive explanation of the idea behind the Bayesian adjustment

Bayesian technique explained

Consider the following situation:

- Today (27/08) we want to forecast the loadings in region x for Friday (30/08)
- The initial forecast equals **25** loadings
- At present, **18** loadings are already in the system for Friday (30/08)

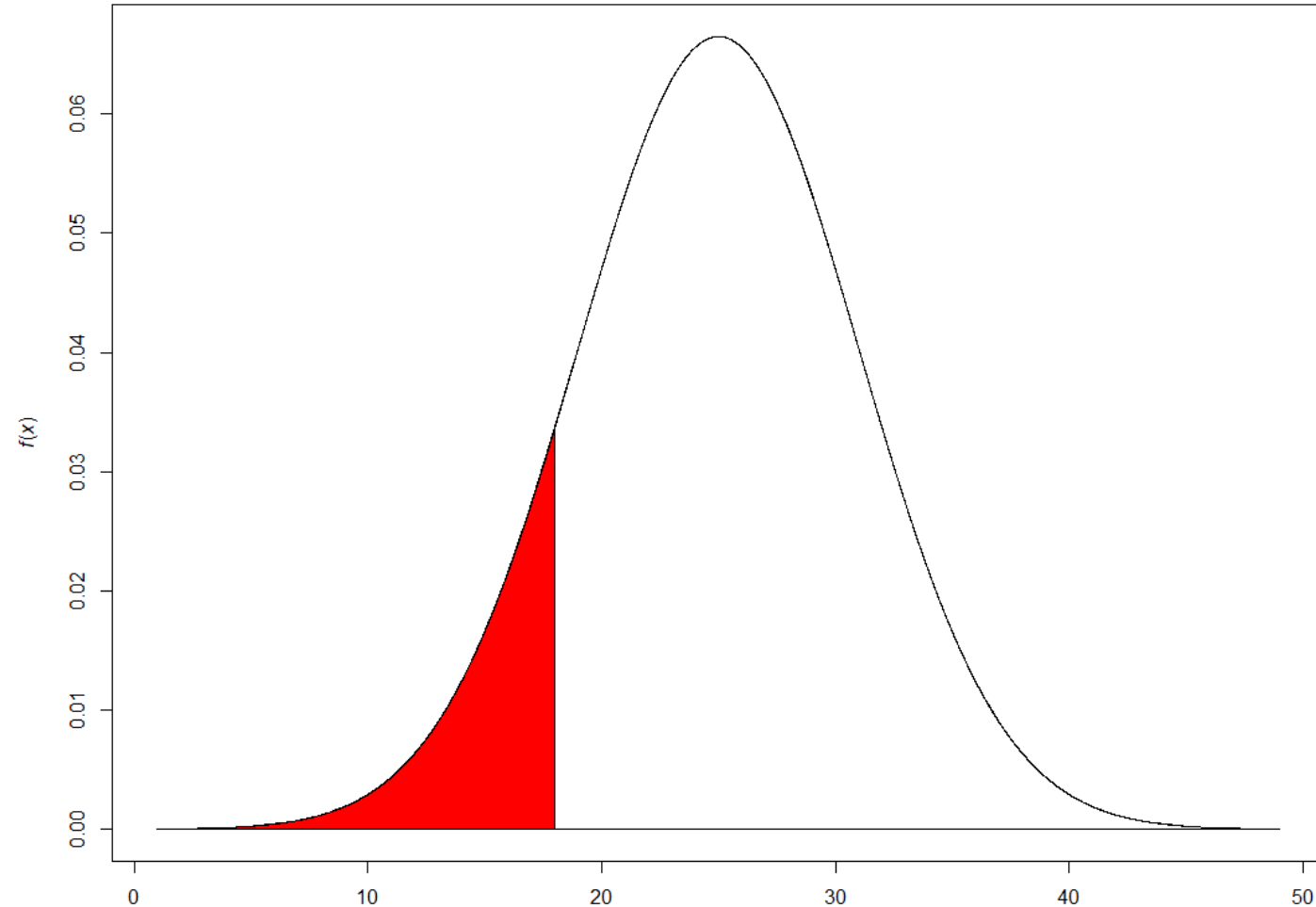


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The Bayesian technique significantly improves the initial forecast

Performance Bayesian technique



Type of forecast

sub-daily (AM / PM) number of loadings and deliveries forecast for **1 week ahead**

daily number of loadings and deliveries forecast for **3 weeks ahead**

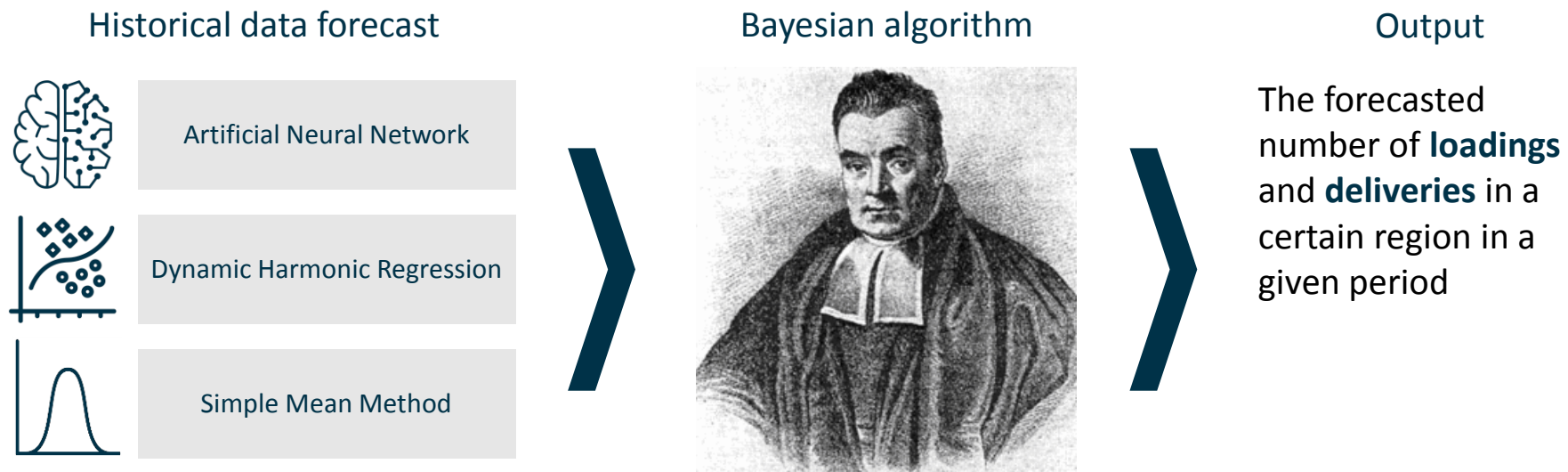
Improvement after Bayesian technique

Initial forecast was improved by **64%**

Initial forecast was improved by **27%**

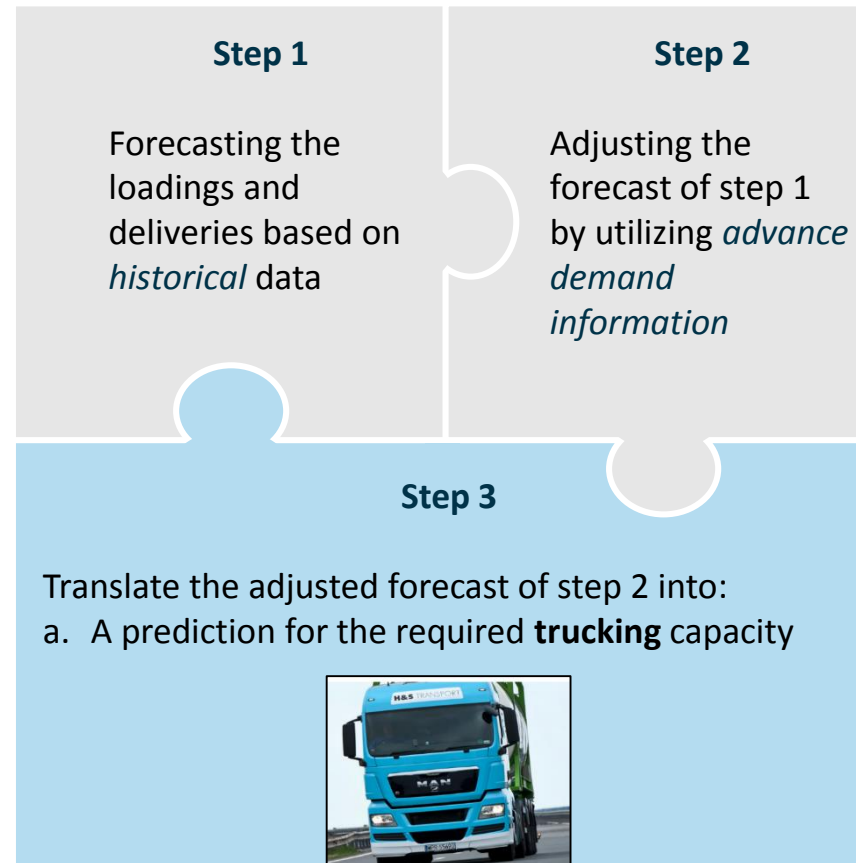
Recall that the output of the Bayesian algorithm is a forecast of the expected number of loadings and deliveries

Recap step 1 and 2



Step 3a: How can the forecasted loadings and deliveries be used to predict the required trucking capacity?

Step 3a



The historical trucking capacity is estimated based on actuals and a number of theoretical assumptions

Estimation of historical trucking capacity

| 1 | Estimation of the historical trucking capacity | Assumptions | Actuals |
|---|--|--|---|
| | | <ul style="list-style-type: none">Pickup: 45 minDrop: 45 minClean: 60 minSpeed truck: 60 km/h | <ul style="list-style-type: none">Loading actionDelivery actionLocation and sequence of actions |

$$\delta_T(\tau) = \beta_0 + \beta_1 * Lo(\tau) + \beta_2 * De(\tau) + \beta_3 * Lo_{D(\tau)} + \beta_4 * De_{D(\tau)} + \beta_5 * \delta(\tau - 14) + \beta_6 * \delta(\tau - 28) + \sum_{k=1}^8 \beta_{6+k} x_k(\tau) + \varepsilon_T(\tau)$$

| 2 | | | | |
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| | $x_1(\tau)$ | 1 if $D(\tau)$ is a Monday, 0 otherwise | $\varepsilon_T(\tau)$ | error term |

A multiple linear regression model was developed to predict the required trucking capacity

Multiple linear regression model

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A multiple linear regression model was developed to predict the required trucking capacity

Multiple linear regression model

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Multiple linear regression model

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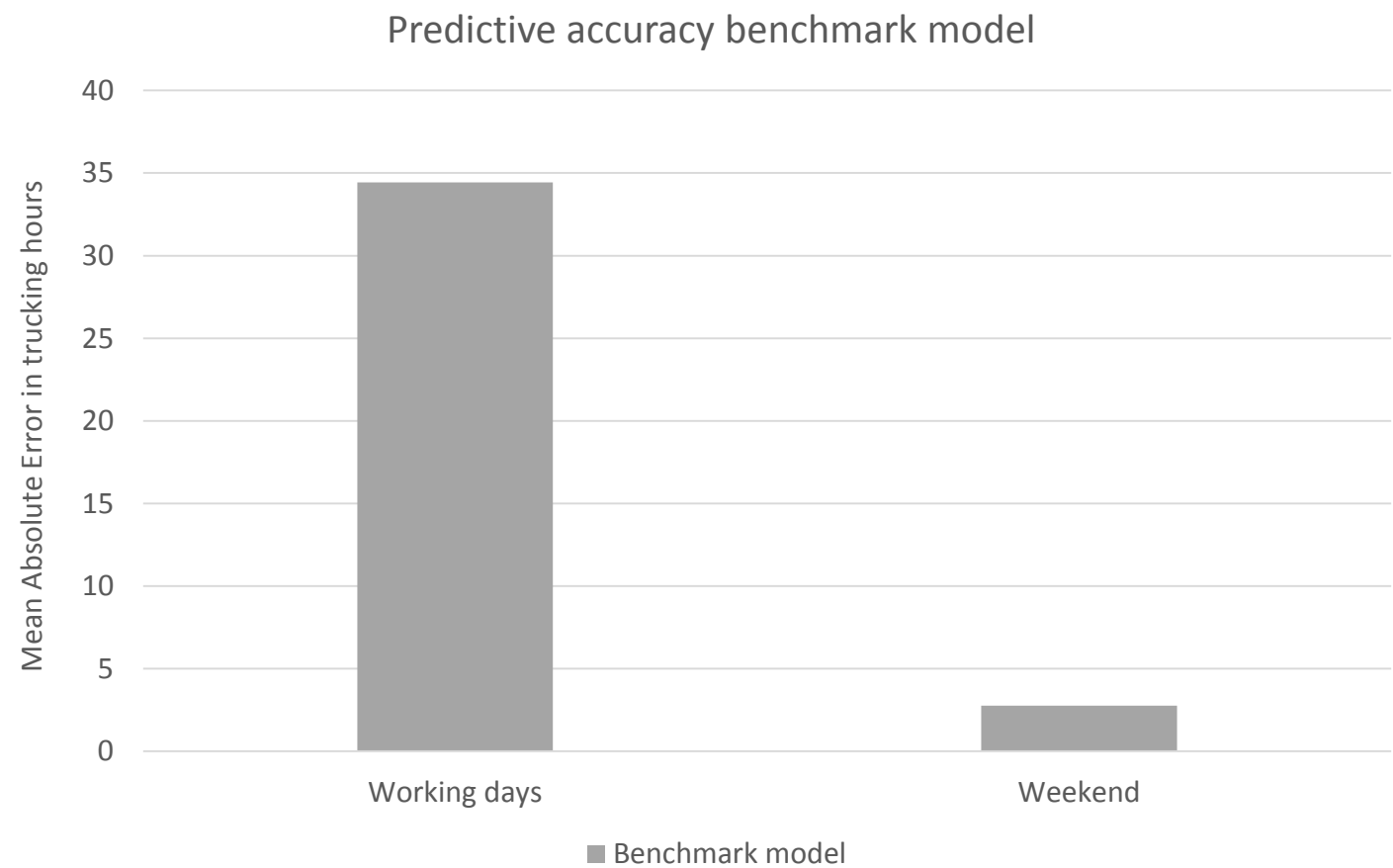
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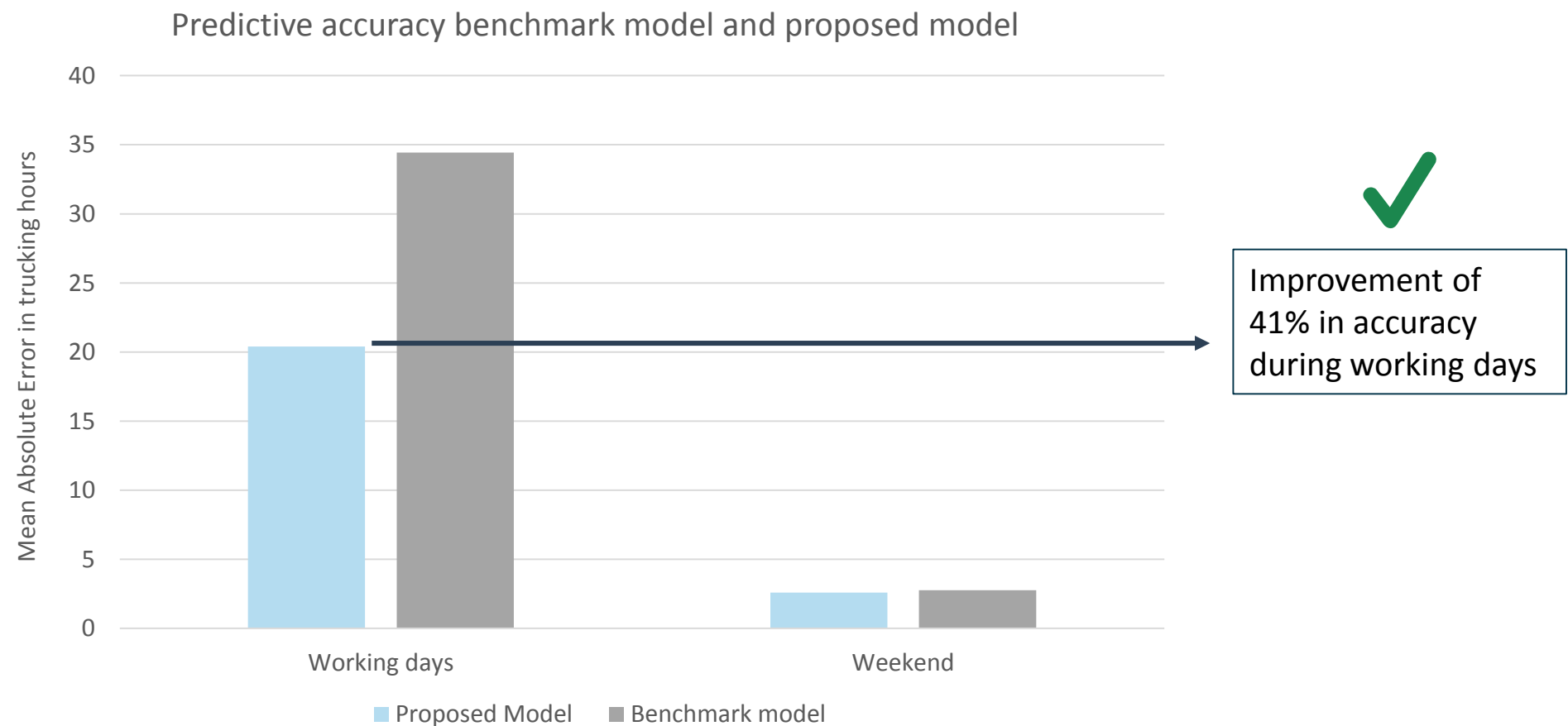
The proposed forecasting model is compared against a benchmark model that is currently used at H&S

Accuracy proposed forecasting methodology BFN region



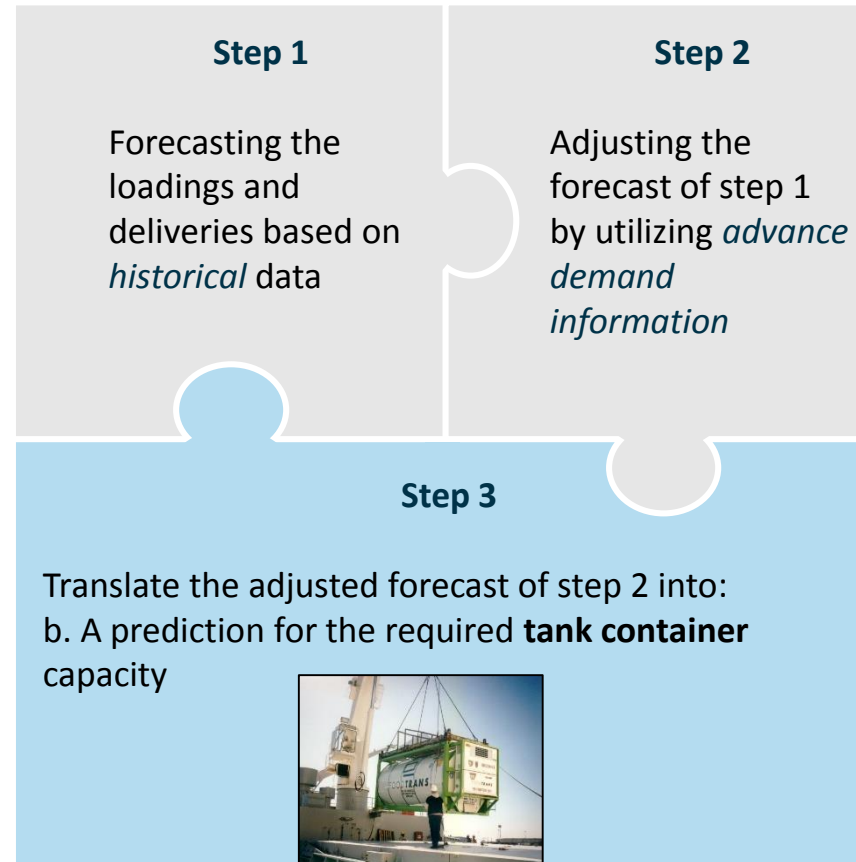
The proposed forecasting model is 41% more accurate than the current model in the BFN region

Accuracy proposed forecasting methodology BFN region



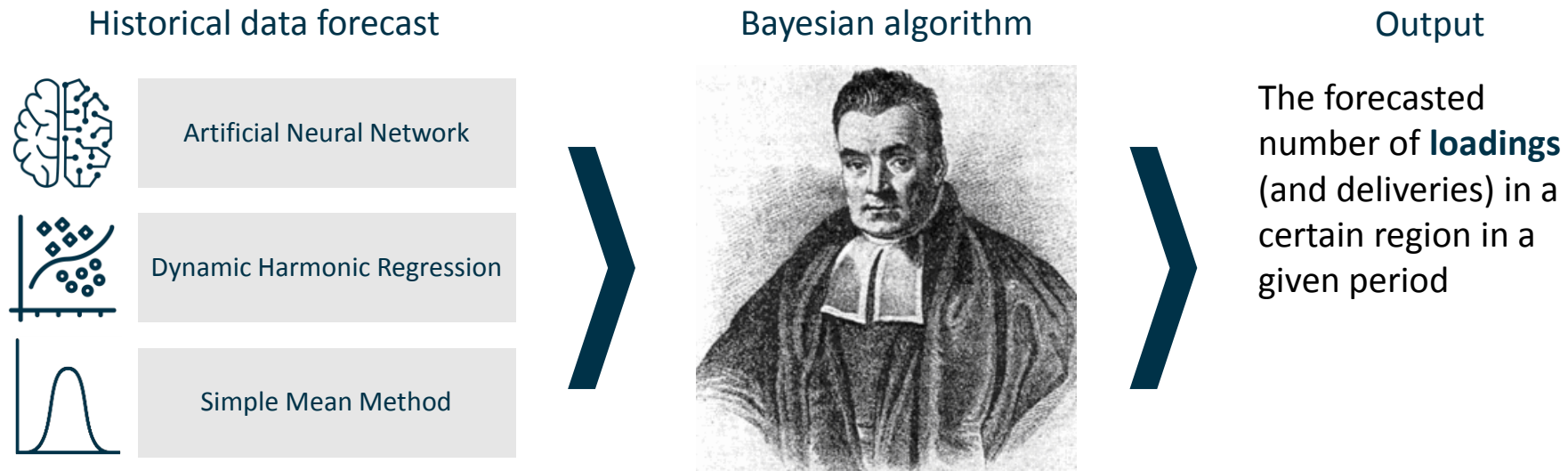
Step 3b: How can the forecasted loadings be converted to the required tank container capacity?

Step 3b



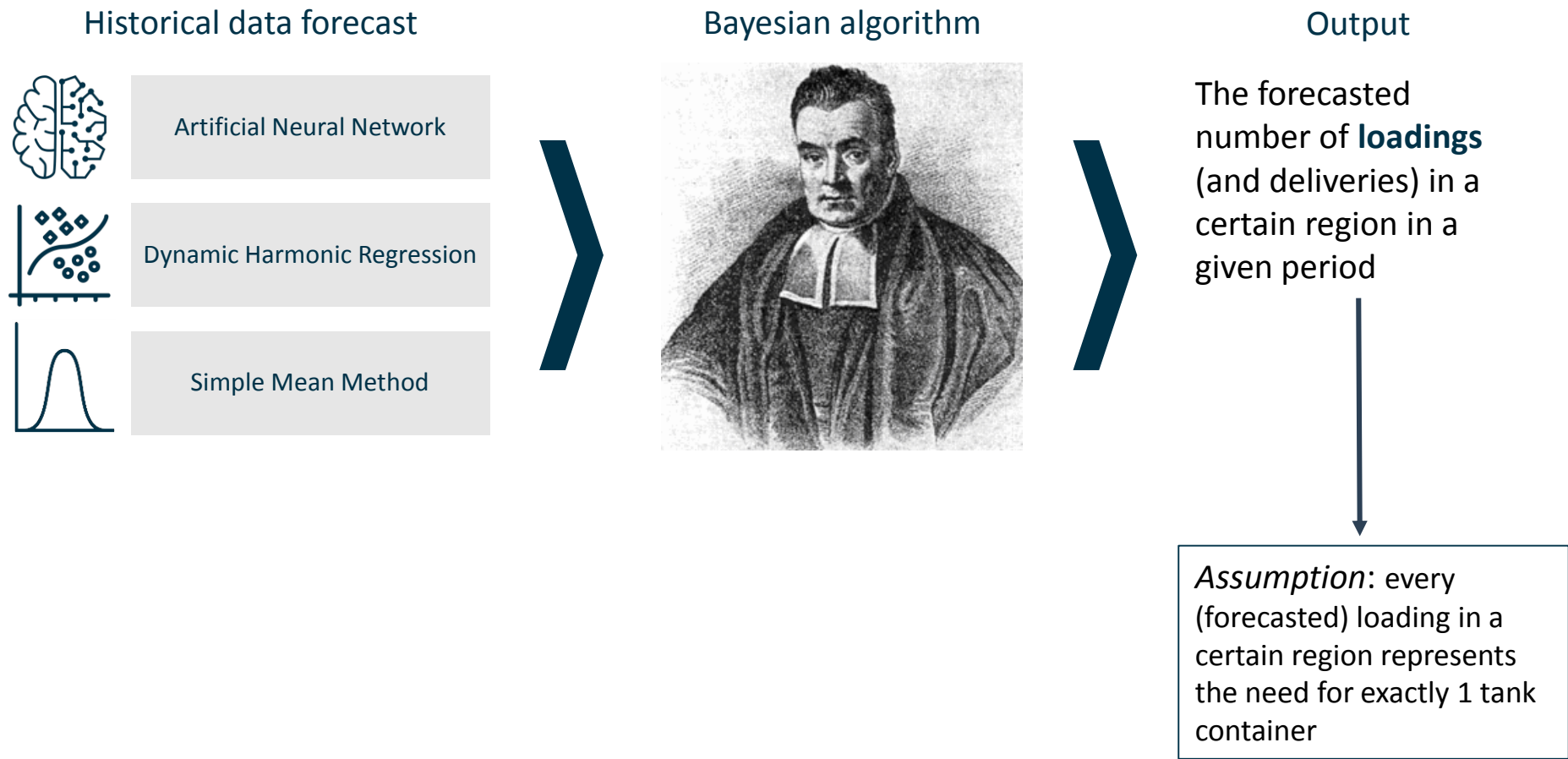
Recall that the output of the Bayesian algorithm is a forecast of the expected number of loadings (and deliveries)

Recap Bayesian of step 1 and 2



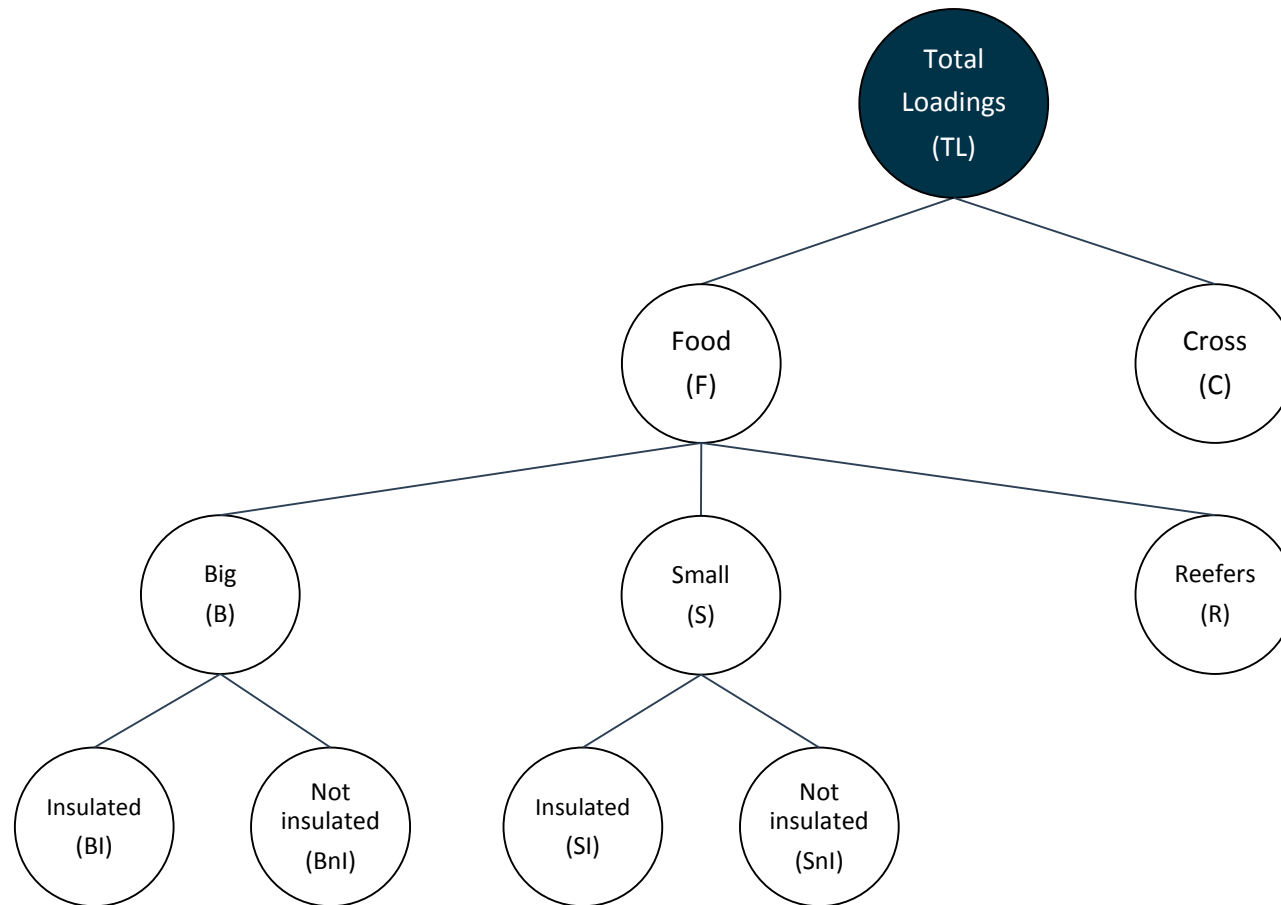
Every (forecasted) loading represents the need for exactly one tank container

Idea tank container forecast



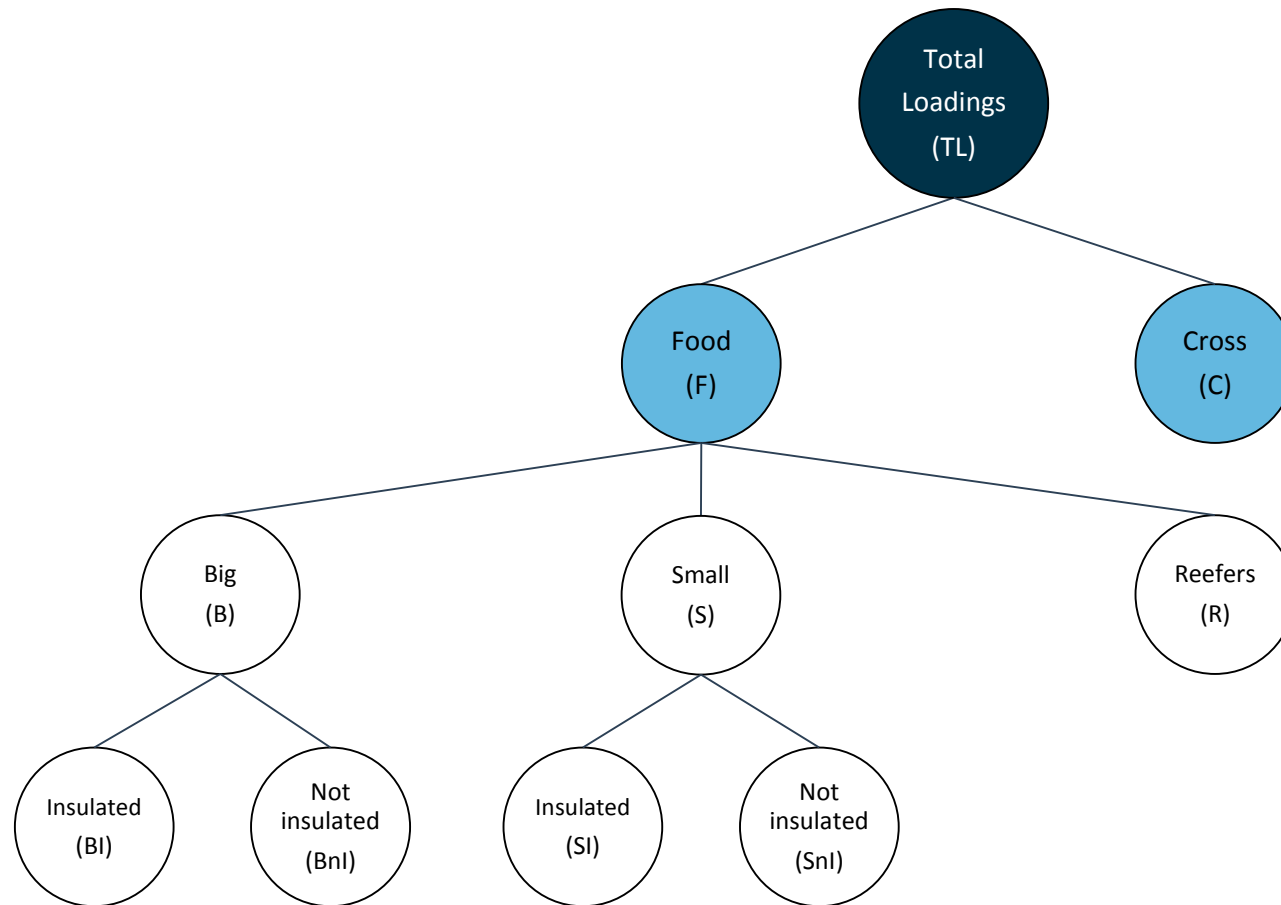
The total number of loadings can be disaggregated by type of tank container

Hierarchical time series tank container types H&S



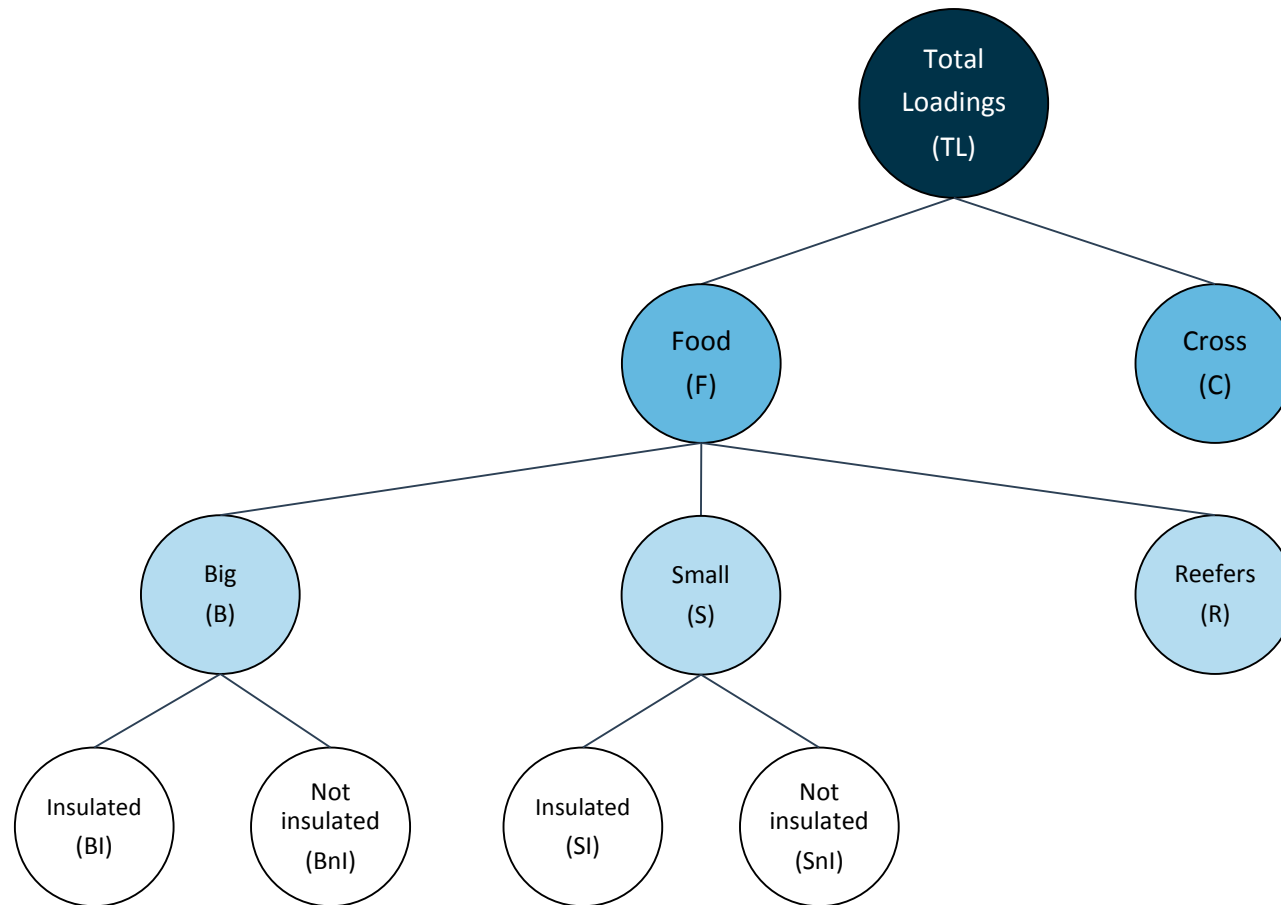
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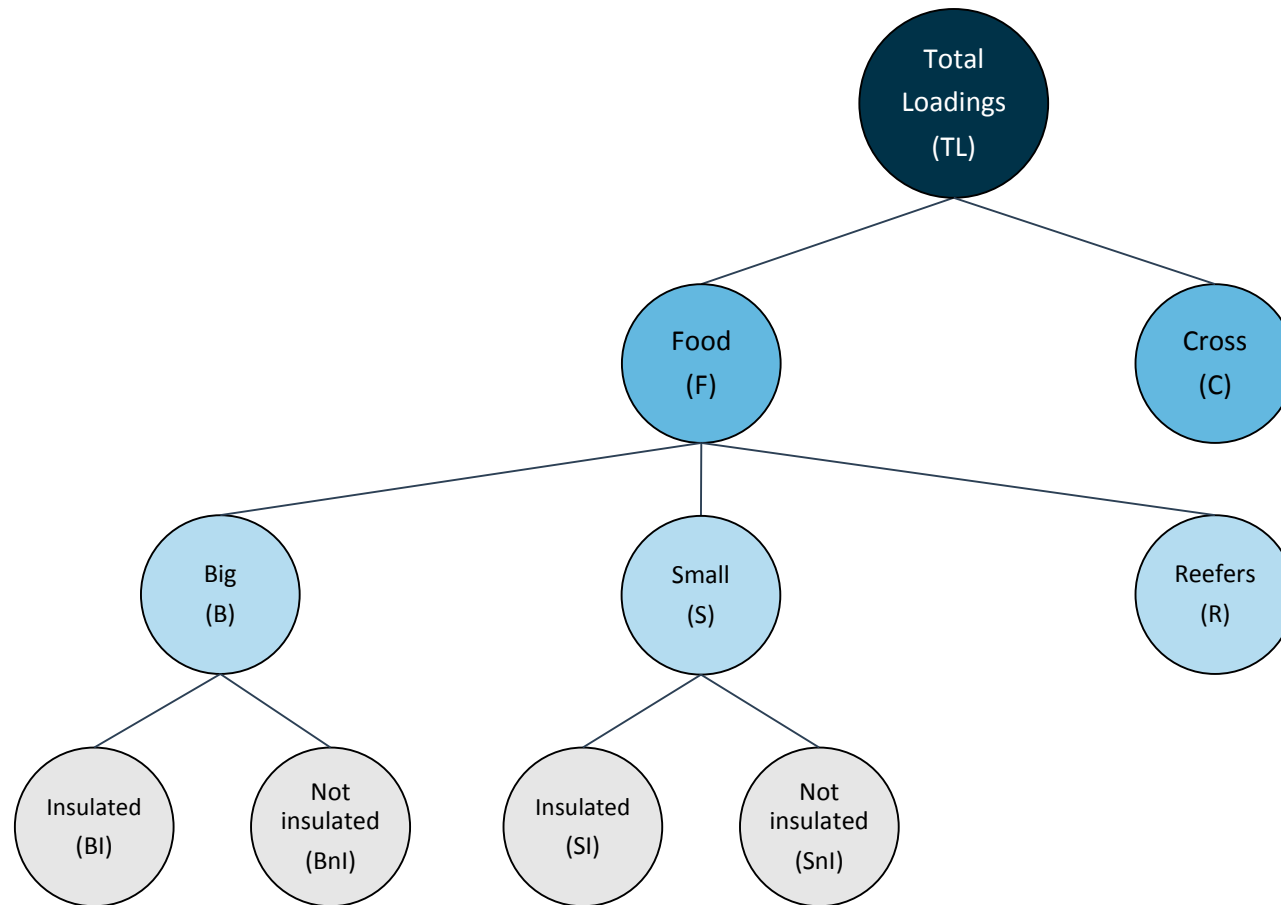
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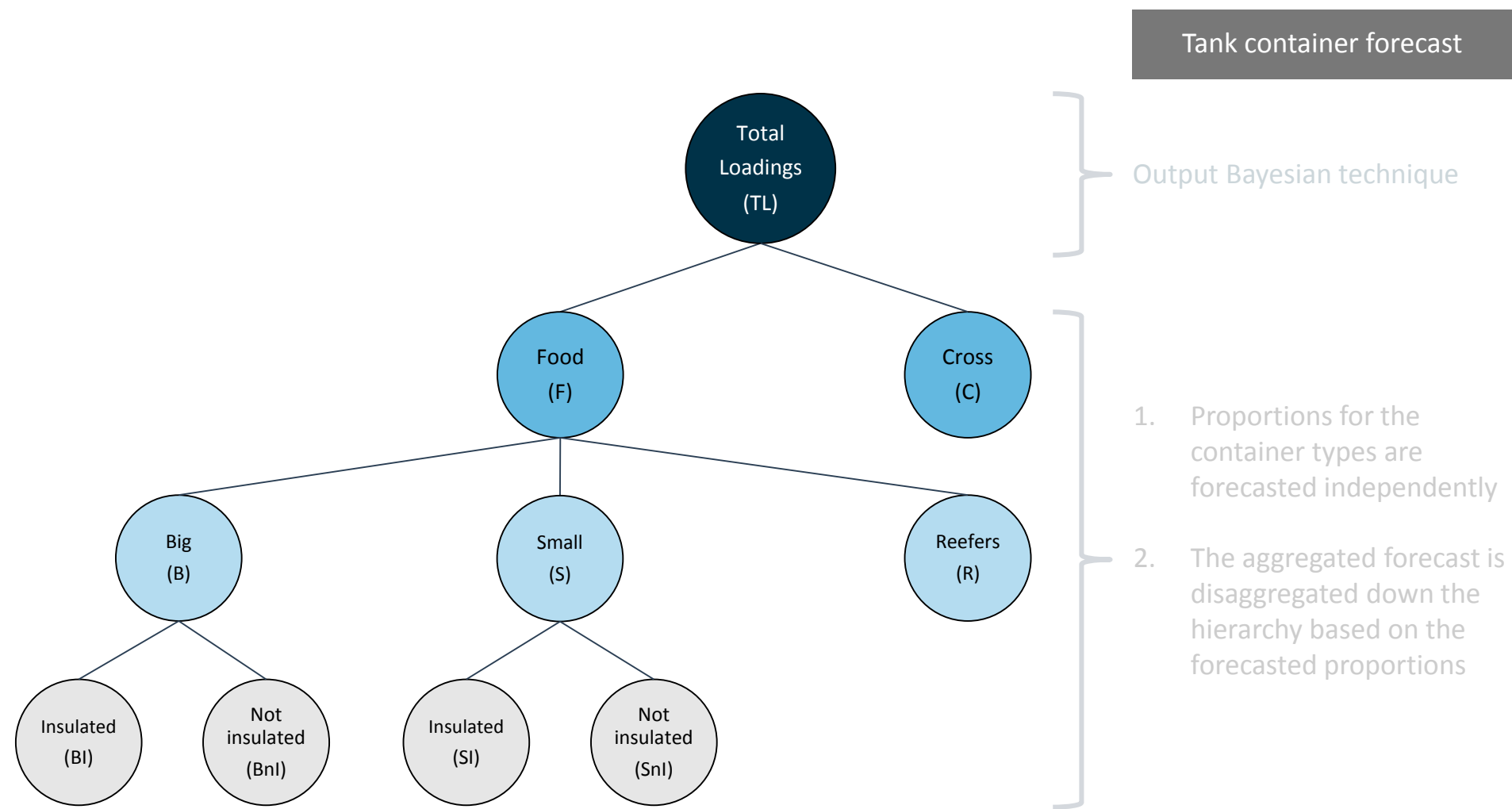
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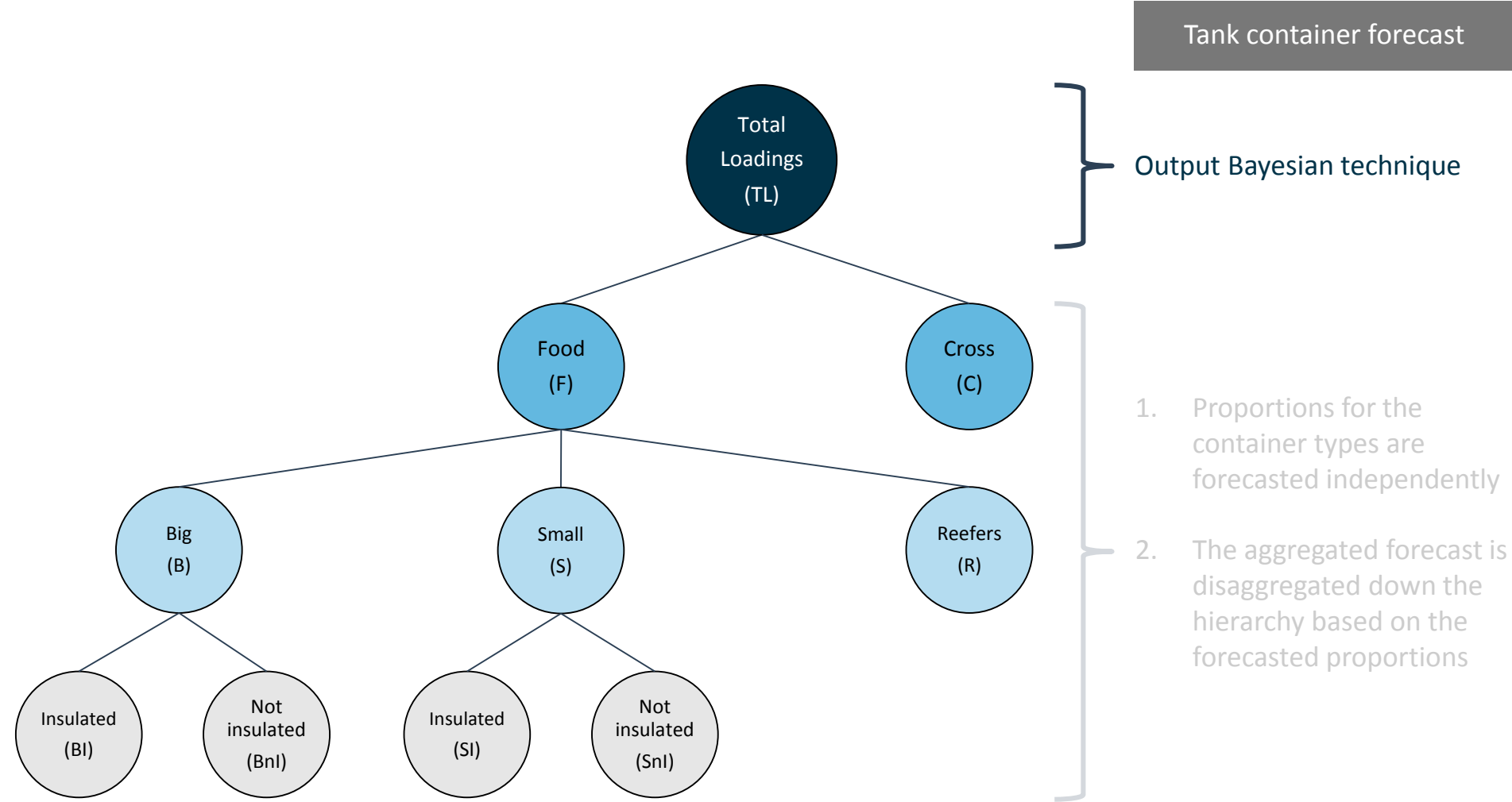
How can a forecast be obtained for every type of tank container?

Tank container forecast



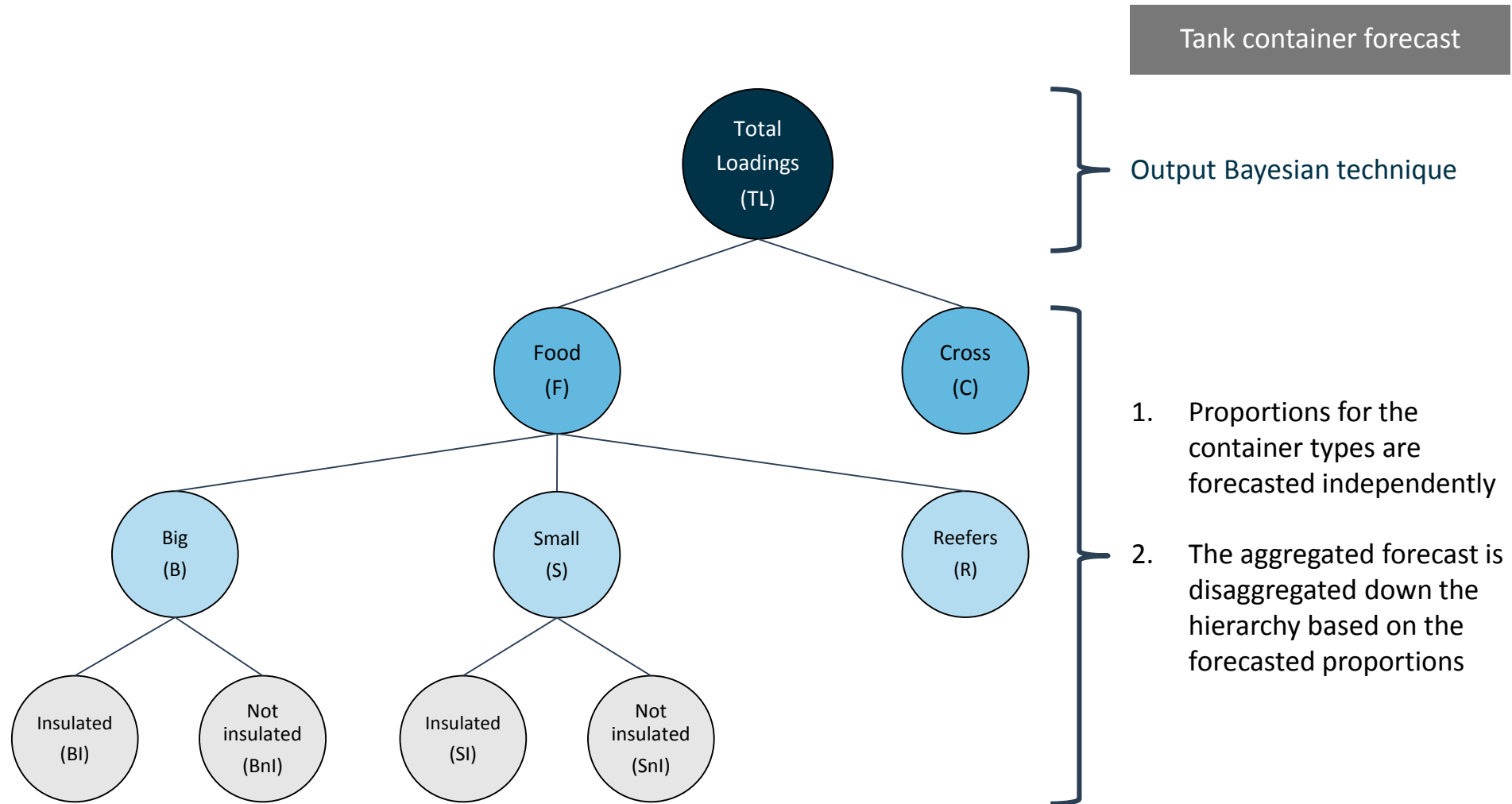
The next question to answer is how the total number of loadings should be disaggregated to obtain a forecast per tank container type

Tank container forecast

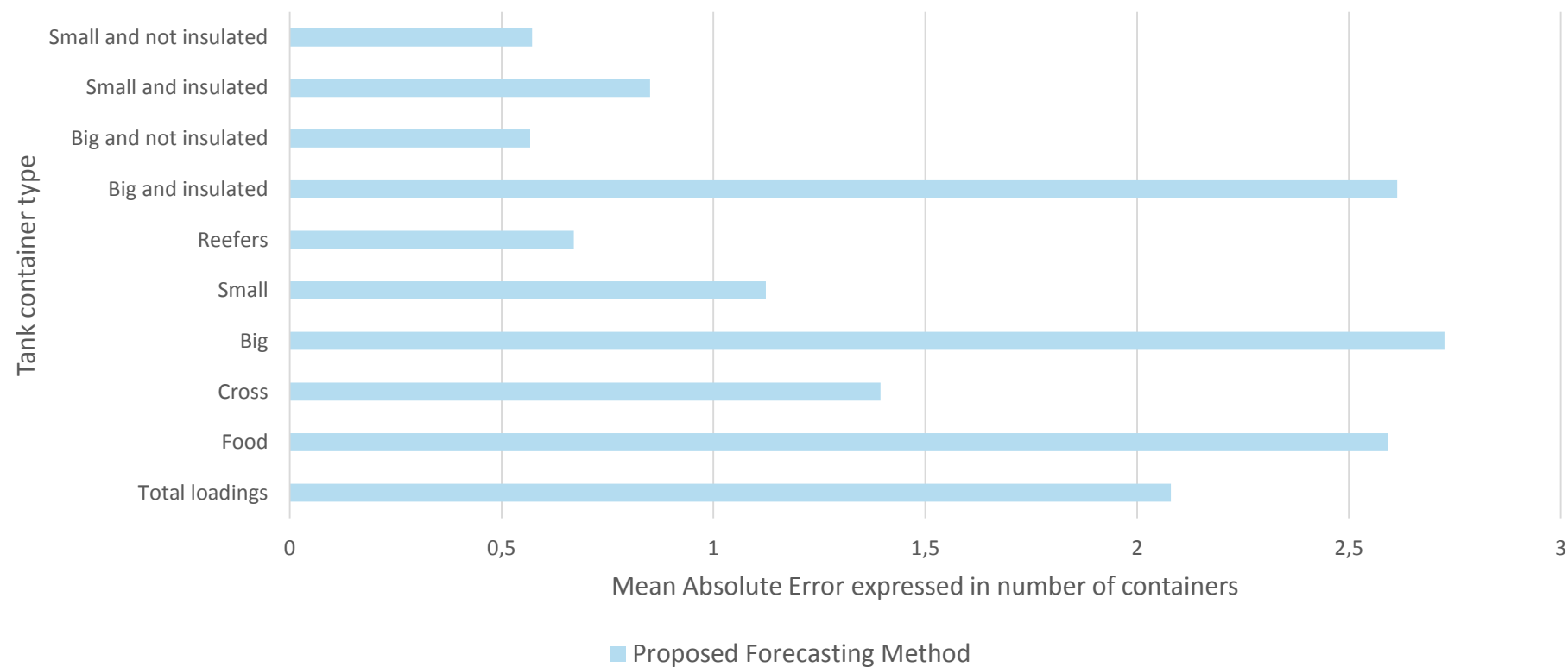


The next question to answer is how the total number of loadings should be disaggregated to obtain a forecast per tank container type

Tank container forecast

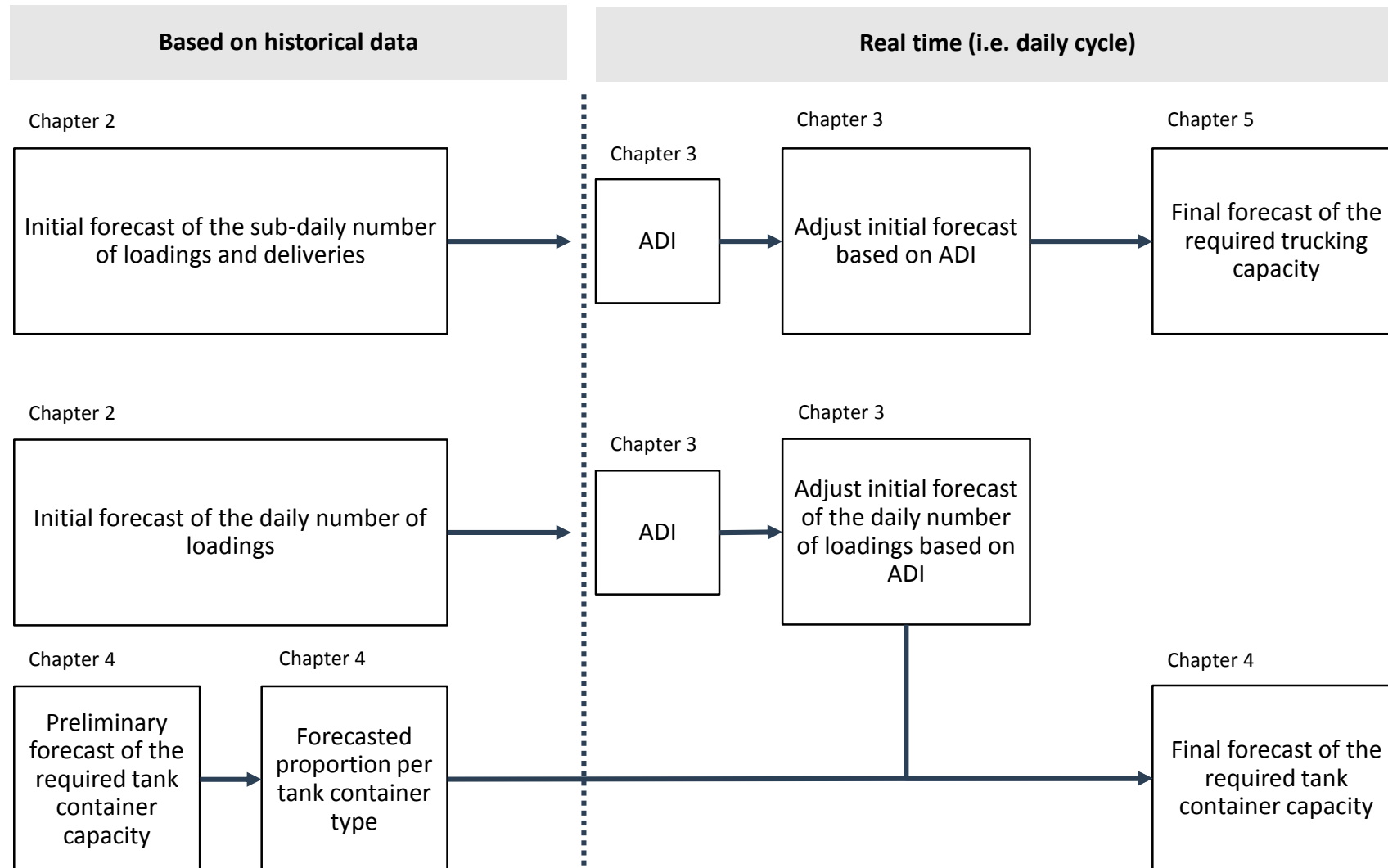


Predictive accuracy tank container forecast in the Rotterdam planning region

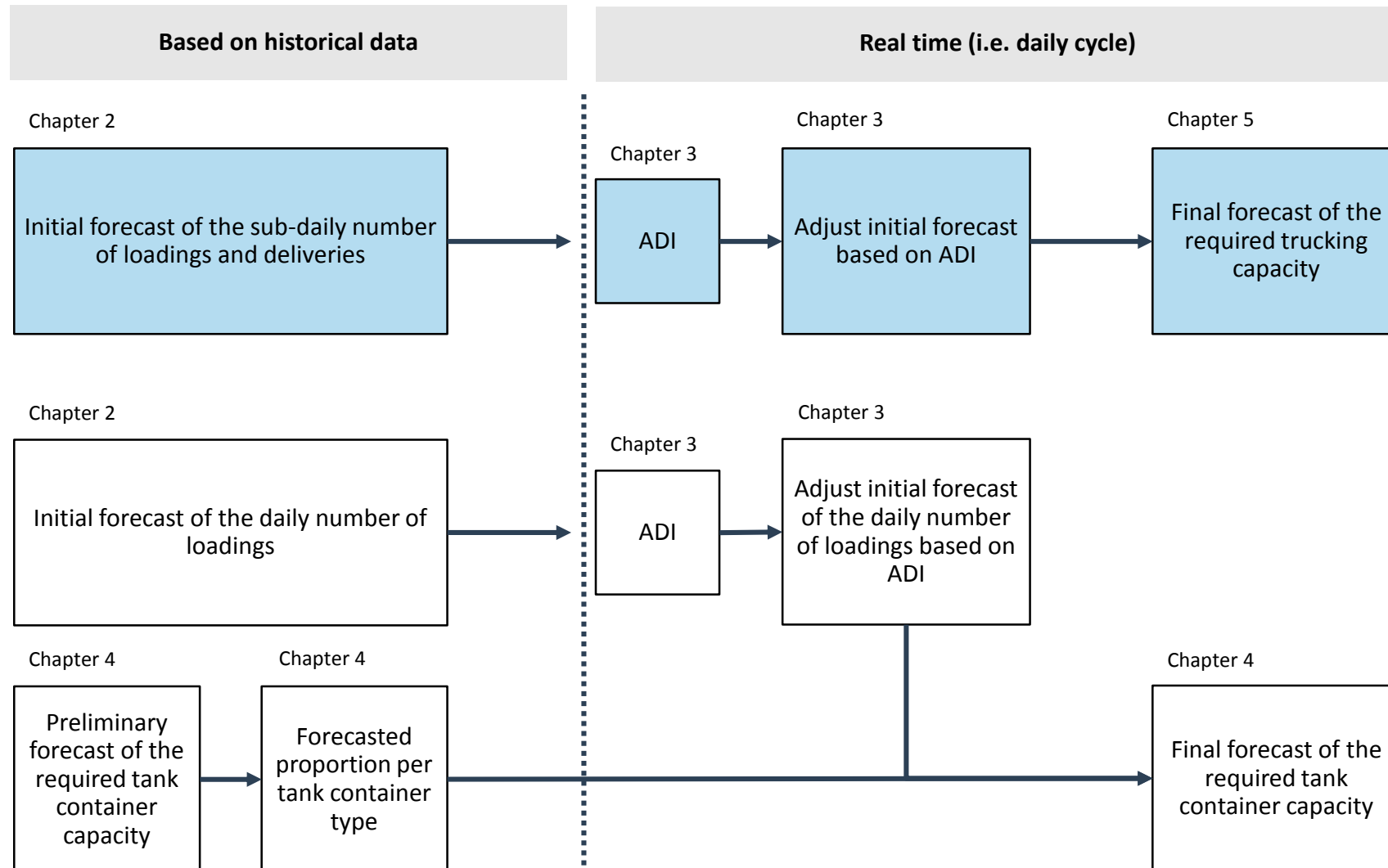


Mean Absolute Error differs per type of tank container and varies between approximately 0.5 and 3

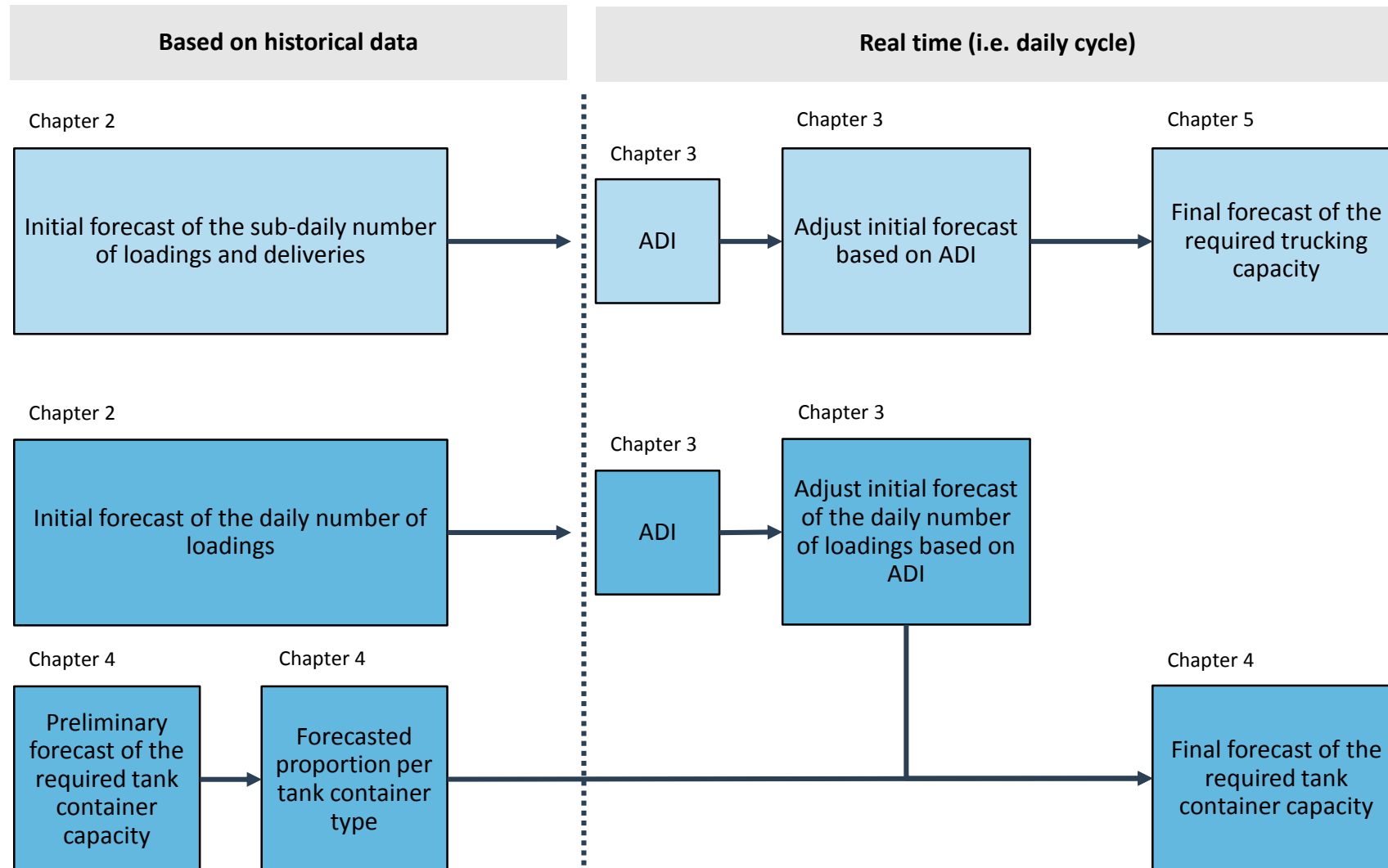
Summary of the proposed forecasting methodology for predicting the number of orders and corresponding capacity requirements



Summary of the proposed forecasting methodology for predicting the number of orders and corresponding capacity requirements



Summary of the proposed forecasting methodology for predicting the number of orders and corresponding capacity requirements





Introduction
and problem
description



Proposed
forecasting
methodology







Completing the
circle: benefits &
implementation







Discussion





Account managers might use the forecast to create a more balanced workload which might in turn lead to a reduction in trucking costs

| Who will use the forecast? | Which decisions will the forecast support? | What will be the benefits? |
|--|---|---|
|  Account managers | Proactively (re)plan orders to smooth workload throughout the day and week | <ul style="list-style-type: none"> • Decrease in the number of trucks needed → reduction in costs • 5% improvement in balance between AM & PM results in approximately €750,000 |
|  TCP and MMP planners | <ul style="list-style-type: none"> • Book charters earlier in the process • Assist Guido and Samara to make more efficient repositioning decisions of empty tanks (yearly costs > €11,000,000) | <ul style="list-style-type: none"> • Lower charter costs and increased quality • Enhanced performance towards clients • Reduction in empty tank container repositioning costs • Reduces risk |
|  Commercial managers | Proactively look for work for periods in which the demand is expected to be low (i.e. commercial focus on filling gaps) | <ul style="list-style-type: none"> • Workload more equally divided • Increased utilization of own trucks |
|  Purchasing managers | Book charters earlier in the process (i.e. purchasing decisions of charters) | <ul style="list-style-type: none"> • Lower charter costs and increased quality • Enhanced performance towards clients |





TCP and MMP planners might use the forecast to book charters at an earlier stage and make more efficient tank container repositioning decisions

| Who will use the forecast? | Which decisions will the forecast support? | What will be the benefits? |
|--|---|---|
|  Account managers | Proactively (re)plan orders to smooth workload throughout the day and week | <ul style="list-style-type: none"> • Decrease in the number of trucks needed → reduction in costs • 5% improvement in balance between AM & PM results in approximately €750,000 |
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Commercial managers might use the forecast to proactively look for work for periods in which the demand is expected to be low

| Who will use the forecast? | Which decisions will the forecast support? | What will be the benefits? |
|--|---|---|
|  Account managers | Proactively (re)plan orders to smooth workload throughout the day and week | <ul style="list-style-type: none"> • Decrease in the number of trucks needed → reduction in costs • 5% improvement in balance between AM & PM results in approximately €750,000 |
|  TCP and MMP planners | <ul style="list-style-type: none"> • Book charters earlier in the process • Assist Guido and Samara to make more efficient repositioning decisions of empty tanks (yearly costs > €11,000,000) | <ul style="list-style-type: none"> • Lower charter costs and increased quality • Enhanced performance towards clients • Reduction in empty tank container repositioning costs • Reduces risk |
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In addition to TCP planners, purchasing managers might also use the forecast to book charters at an earlier stage

| Who will use the forecast? | Which decisions will the forecast support? | What will be the benefits? |
|--|---|---|
|  Account managers | Proactively (re)plan orders to smooth workload throughout the day and week | <ul style="list-style-type: none"> • Decrease in the number of trucks needed → reduction in costs • 5% improvement in balance between AM & PM results in approximately €750,000 |
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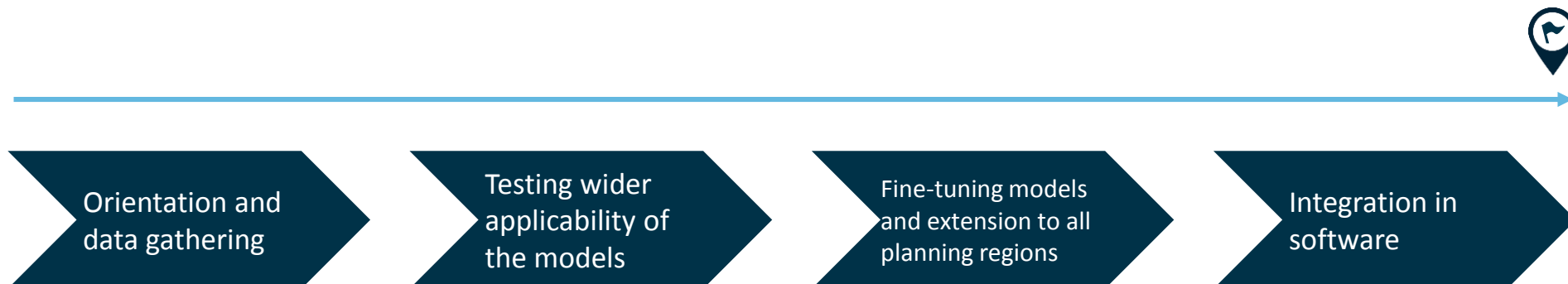
The forecasting methodology proposed by this research is now being implemented at H&S (and Den Hartogh)

Implementation project

Stakeholders implementation project



Timeline implementation project





Introduction
and problem
description



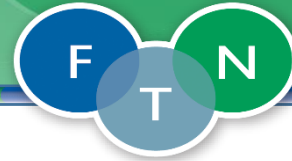
Proposed
forecasting
methodology



Completing the
circle: benefits &
implementation



Discussion



Federatie Textielbeheer Nederland

Thanks for your attention